# **Memory-Oriented Structural Pruning for Efficient Image Restoration**

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#### **Abstract**

Deep learning (DL) based methods have significantly pushed forward the state-of-the-art for image restoration (IR) task. Nevertheless, DL-based IR models are highly computationand memory-intensive. The surging demands for processing higher-resolution images and multi-task paralleling in practical mobile usage further add to their computation and memory burdens. In this paper, we reveal the overlooked memory redundancy of the IR models and propose a Memory-Oriented Structural Pruning (MOSP) method. To properly compress the long-range skip connections (a major source of the memory burden), we introduce a compactor module onto each skip connection to decouple the pruning of the skip connections and the main branch. MOSP progressively prunes the original model layers and the compactors to cut down the peak memory while maintaining high IR quality. Experiments on real image denoising, image super resolution and low-light image enhancement show that MOSP can yield models with higher memory efficiency while better preserving performance compared with baseline pruning methods.

## Introduction

Owing to the adverse environmental conditions and the limitations of image acquisition devices, image degradations (e.g., noise, blur) are often introduced during the image acquisition process. As a fundamental computer vision application, image restoration (IR) aims to recover clean images from such contaminated measurements. Thanks to the superior capacity for learning implicit and generalizable priors in a data-driven fashion, deep learning (DL) based methods (Zamir et al. 2021b; Wang et al. 2021; Chen et al. 2022) have emerged and dominated the field of image restoration, providing satisfactory image reconstructions.

Nevertheless, due to the pixel-to-pixel reconstruction nature of the IR task, these methods have excessive demands for hardware resources in terms of memory and computation. Besides, considering that the computational units on mobile devices need to process multi-tasks simultaneously,

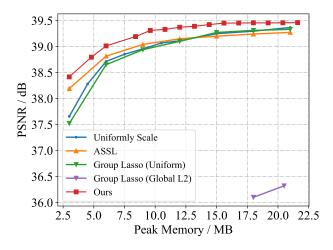


Figure 1: Trade-off between IR performance (PSNR) and peak memory consumption on the SIDD dataset. We compare our pruning method MOSP with uniformly scale, group lasso (Wen et al. 2016) and ASSL (Zhang et al. 2021a).

the actual resources allocated for IR tasks are further limited. Moreover, the surging demand for processing higher-resolution images (Chen et al. 2018; Lamba and Mitra 2021) adds to the burden of hardware resources. Therefore, deploying the DL-based IR models on resource-constrained mobile devices for practical use is challenging and calls for efficiency improvements.

While improving the computation efficiency of the IR models has been investigated by recent researches, either through compact module design (Chen et al. 2022) or model compression (Zhang et al. 2021a,b), specific optimization for memory consumption of the IR models remains overlooked. In this paper, we point out that **the frequently adopted multi-scale feature aggregation strategy in IR model design is memory-costly and calls for improvements**. Specifically, the widely used U-Net architectures (Chen et al. 2018; Zamir et al. 2021b; Chen et al. 2021) contains multiple long-range skip connections from the encoder to the decoder. Thus the intermediate features need to

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be stored in memory for a long time before being fused in the decoder. Similarly, short-range skip connections introduced by the residual module design also add to the peak memory consumption. We show that such a feature aggregation strategy is both memory-costly and -redundant. Targeting the contradiction of the tight resource budget on edge devices and the high memory overhead of the multi-scale architectures, our work aims to improve the memory efficiency of IR models.

In this paper, we present Memory-Oriented Structural Pruning (MOSP) to reduce the structural redundancy of IR models. MOSP follows an iterative pruning flow specially designed for peak memory optimization. MOSP first groups layers that co-exist in the memory to form a pruning unit. In each iteration, MOSP selects the layer group that affects the peak memory and cuts down the peak memory by pruning the layers. Besides, the skip connection is a significant resource of the memory burden and cannot be pruned independently. In this regard, MOSP introduces a compactor block to decouple and prune the skip connection properly. As shown in Fig. 1, models pruned by MOSP can achieve better performance-memory efficiency trade-off. The main contributions of this work could be summarized as follows:

- By analyzing the properties of the IR task and multi-scale architectures (e.g., U-Net), we point out that optimizing the peak memory of IR models is important for efficient deployment. Accordingly, we design a Memory-Oriented Structural Pruning (MOSP) framework to improve IR efficiency. MOSP is equipped with an effective grouping strategy that gathers layers with the same temporal memory occupation into a pruning unit. Then, MOSP iteratively prunes the model to meet the memory budget.
- In order to properly compress the skip connections (a major source of the memory burden), we introduce a compactor module onto each skip connection. The compactor decouples the pruning of the skip connection and the main branch, hence the modified skip connections can be pruned independently and incorporated into the corresponding layer groups. Thanks to the enlarged optimization space, better performance-efficiency balance could be achieved.
- Extensive experiments show that the models produced by MOSP could achieve significantly better trade-offs between memory efficiency and performance than models produced by baseline pruning methods. For example, models pruned by MOSP can save up to 50% memory consumption without significant performance degradation and consistently beat those derived by state-of-theart IR pruning methods.

#### **Related Works**

## **Deep Image Restoration Models**

IR task aims to recover clean images from degraded ones (e.g., noise, haze). In recent years, deep learning based methods (Zamir et al. 2020, 2021b; Wang et al. 2021; Zamir et al. 2021a) have achieved great success. They improve the performance in two main directions: (1) enhancing the

capacity of basic building blocks and (2) exploring interblock connectivity for better information fusion. Chang et al. (Chang et al. 2020) introduce deformable convolution for mining spatial dependence between pixels. RIDNet (Anwar and Barnes 2019) and MIRNet (Zamir et al. 2020) equip basic blocks with attention mechanism. In addition to designing the building block, researchers have also explored the inter-block design space. These methods mainly adopt the U-shaped (Ronneberger, Fischer, and Brox 2015) model and make architectural improvements. MPRNet (Zamir et al. 2021b) and HiNet (Chen et al. 2021) stack U-Nets and integrate information across stages for coarse-to-fine processing. These DL-based restoration methods achieve satisfactory performance. However, their intense computation and memory workload hinder efficient deployment on mobile devices. Therefore, we propose to improve the efficiency of the IR model and focus on reducing its peak memory.

# **Model Compression**

Considerable efforts have been devoted to improving the efficiency of deep neural networks. For instance, network quantization methods (Qiu et al. 2016; Zhou et al. 2016; Esser et al. 2019) seek to yield a highly compact network by reducing its bit width. Network pruning (Han, Mao, and Dally 2015; Wen et al. 2016; Ning et al. 2020a) aims at compressing the model by dropping redundant weights or channels. Various types of Neural Architecture Search (NAS) methods (Zoph and Le 2016; Pham et al. 2018; Ning et al. 2020b) could be applied to automatically design architectures under a certain resource budget (Tan et al. 2019; Cai et al. 2019; Zhang et al. 2022). Although the abovementioned model compression methods have made significant progress, they are elaborately designed for high-level computer vision tasks. How to adapt them concerning the characteristics of IR tasks remains a question.

#### **Efficient Image Restoration Models**

Due to the pixel-to-pixel nature and multi-scale information fusion strategy, IR models suffer from excessive computation and memory workload. In order to alleviate this issue, some researches (Gu et al. 2019; Lamba and Mitra 2021) design efficient architectures. SGN (Gu et al. 2019) adopts a self-guidance strategy to incorporate multi-scale information and extract local features effectively. Another line of research adapts the model compression technique from highlevel vision tasks. Li et al. (Li et al. 2020a) quantize superresolution (SR) models and utilize knowledge distillation to maintain performance. Zhang et al. (Zhang et al. 2021a,b) conduct structured pruning on SR models. The methods mentioned above focus on reducing the FLOPs of the model without considering memory. Differently, we recognize the importance of memory optimization in IR deployment and propose a memory-oriented pruning flow to optimize it accordingly for practical efficiency improvement.

## **Proposed Method**

Fig. 2 shows the two core designs of MOSP: (1) **Skip Connection Compactors.** We point out that much redundancy

#### **Memory-oriented Compactor** design pruning flow for pruning shortcut (Sec 3.3) (Sec 3.2) **U-Shaped Architecture** Shortcut activation **Different** sensitivity is kept in memory Same prune ratio for long term $T_{b}$ 80% 80% 6 Shortcut Reduce by Memory Stride Activation Stored in Memory Conv1-1 Conv1-2 in each iteration 3M 80% 80% 40% 40% c d 15M $T_{b}$ 12M Memor Peak Memory Less shortcut memory Ta has peak memory Decouple 80% 20% the prune ratio - 0.2M of 2 branches 20% - 0.6M base Linear **3M** - 1.0M on Programming Conv1-1 Conv1-2 - 1.2M Memory Relative Stride 80% 80% 40% 40% Prune $T_a$ related layers Sensitivity LP-Based Allocation

Figure 2: Overall framework of the proposed Memory-Oriented Structured Pruning (MOSP). MOSP is comprised of two major steps. (a) Model adaptation. We substitute the long-term skip connections in U-shaped models with the compactors to decouple them with the corresponding main branch (i.e., consecutive convolution layers). (b) Memory-oriented iterative pruning. We group layers with memory-consumption relevance into a pruning unit, enlarging the optimization space for memory. In each pruning iteration, MOSP first takes an outer step to identify the group with the highest memory usage, and the selected group will get trimmed down by a memory stride. Then MOSP employs an inner step to allocate the memory sparsity within the selected group through linear programming.

resides in the skip-connected features. Therefore, as shown in Fig. 2 (left), we propose to insert *compactors* onto the skip connections to compress the skip-connected features. The compactor design decouples the pruning of the skip-connection branch and the main branch, thus bringing more room for memory optimization. (2) **Memory-Oriented Iterative Pruning Flow.** Fig. 2 (right) shows our memory-oriented iterative pruning flow. This flow explicitly cuts down the peak memory of the given model in each iteration and outputs models satisfying different memory budgets.

## **Problem Definition for Memory Efficiency**

In order to relieve the memory burden for practical deployment, we propose to acquire memory-efficient architectures in the manner of pruning. Specifically, we prune a model to satisfy a provided memory constraint  $M_c$ :

$$\min_{\mathbf{W}} \quad \mathcal{L}(\mathcal{F}_{\text{IR}}(X \mid \mathbf{W}; \Theta), Y) 
\text{s.t. Memory}(\Theta) \leq M_c$$
(1)

where  $\mathcal{F}_{IR}$  denotes the IR model to be pruned,  $\mathbf{W}$  denotes the weights of the given model, X,Y denote the input degraded image and the target clean image respectively. One has to identify architecture parameters  $\Theta$  (i.e., output channels of each layer) to meet the memory budget. After determining the appropriate architecture parameters, the pruned model will be trained to minimize the loss function  $\mathcal{L}$ .

## **Compactor Design for Pruning Skip Connections**

Multi-scale information fusion has been a fundamental design choice for IR models. To integrate information of multiple scales, the U-shaped architectures need to store intermediate computation results in memory for a long period, bringing heavy memory consumption. Specifically, the original U-Net utilizes four long-term skip connections for information propagation. As can be seen from Fig. 3(a), this design induces large memory consumption.

Then, a natural yet untouched question arises, do we really need that many features for feature fusion? Actually,

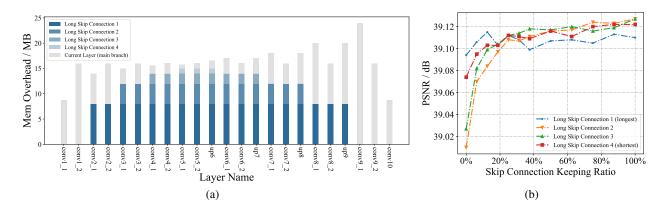


Figure 3: (a) Illustration of memory consumption for each layer in U-Net. Memory consumption is marked with different colors, and estimated by the method described in the "Layer Grouping" section with a single input patch of size  $3 \times 256 \times 256$ . (b) Performance of U-Nets with respect to different keeping ratios of skip connections. The long skip connection 1 to 4 refer to 4 long-range skip connections of the standard U-Net in descending order according to the length.

our experiments in Fig. 3(b) demonstrate that the answer is **no**. Contrary to the mainstream belief that the skip connections should be faithfully preserved, Fig. 3(b) reveals that the skip connections are highly redundant, implying a broader space for memory optimization.

Intuitively, the features that pass through the main branch might be different from those to be skip-connected: features in the long-range skip connections are rich in low-level information, while those in the main branch are processed to obtain large-scaled information. Hence different keeping ratios of these features should be considered. Nevertheless, the existing pruning methods fail to distinguish such two branches and simply assign the same keeping ratio (usually highly redundant) to the skip connections. For instance, as shown in Fig. 2 (upper left), while the proper keeping ratio of the skip connection may be lower, the skip-connected features are still excessively stored, wasting notable memory.

Therefore, as shown in Fig. 2 (lower left), we propose to decouple the pruning of the skip connection from that of the main branch by introducing  $1\times 1$  convolutions onto the skip connections, i.e., the *compactors*. The benefit of introducing compactors are two-fold. First, features in these two branches can be preserved at different keeping ratios compatible with the contained information. For example, in Fig. 2 (lower left), the keeping ratio of the skip connection branch with the "Compactor" is only 20%, which is more memory-efficient than that forced to share the same keeping ratio with the main branch (Fig. 2 upper left). Second, by introducing only  $\sim 1\%$  extra parameters and computations, skip connections can learn to process and preserve features of higher value and thus less affected by pruning.

# **Memory-Oriented Pruning Flow**

To get a solution for the problem defined in Eqn. 1, we propose a memory-oriented pruning flow (see Appendix for detailed algorithm). Specifically, before the pruning process, we first analyze the memory dependency pattern of the original architecture and build the "pruning groups" of layers.

Each pruning group contains the layers whose features need to co-exist in the memory simultaneously. The overall pruning process contains outer loops and inner loops. In each outer iteration, we compress the pruning group with the current highest memory cost, cutting down its memory cost by  $m_o$  (the outer memory stride). To decide the concrete keeping ratio for each layer in this group, we conduct an inner loop of linear programming optimizations. Each linear programming problem in the inner loop aims to minimize the performance degradation while satisfying the requirement of reducing the memory by  $m_s$  (the inner memory stride).

**Layer Grouping.** We devise a group-wise pruning granularity in terms of memory occupation relevance. Specifically, we group layers co-existing in the memory into a pruning unit. For instance, in Fig. 2, during the computation of  $M_3$  (time step  $T_a$ ), the input features, the output features, and two parallel skip-connected features (point a, b, c and d in Fig. 2, respectively) are stored in the memory simultaneously. Accordingly, we can prune  $M_2$ ,  $M_3$ ,  $C_1$ ,  $C_2$  by removing some of the output filters to reduce the memory overhead at this time step. Or in another word, these four layers are in the pruning group corresponding to time step  $T_a$ . The memory consumption of the pruning group is then estimated as the sum of the memory taken by the output features of the corresponding layers, while the memory taken by layer parameters is neglected. Note that pruning groups corresponding to different time steps can have intersections, i.e., one layer could be in multiple pruning groups. For example,  $C_1$  is in both the  $T_a$  and  $T_b$  pruning groups in Fig. 2.

**Outer Loop.** In each outer iteration, we first evaluate the current memory consumption of each group. The group with the highest memory overhead is selected for pruning. As many intersections exist between pruning groups, layer pruning schemes obtained by directly pruning the selected group to meet the final memory constraint  $M_c$  may be suboptimal for other groups. Instead, we take iterative steps (i.e., the outer loops) to satisfy the final memory constraint

gradually. In each outer loop, we cut down the selected group's memory by  $m_o$  (the outer memory stride, 3MB in Fig. 2). In this way, we can better balance memory reduction between different groups and thus get elaborately determined pruning schemes. The outer loop is shown in Algo. line 2 to 17. After determining the group to prune, we carry out an inner loop to get a finer pruning scheme inside the selected group. At the end of each outer iteration, we finetune the model for a short period (e.g., one epoch) to help the model adapt to the channel reduction. The outer loop ends when all groups respect the memory constraint  $M_c$ .

**Inner Loop.** In each inner loop (Algo. line 5 to 11), we are supposed to determine the amount of the filters to prune for each layer in the group to satisfy the memory pruning stride  $m_o$  while maintaining the model performance. We modify the optimization problem defined in Eqn.1 as follows:

$$\min_{\boldsymbol{\theta}_{g}^{t}} \quad \mathcal{L}(\mathcal{F}_{\text{IR}}(X \mid \mathbf{W}; \boldsymbol{\theta}_{g}^{t}), Y) \\
- \mathcal{L}(\mathcal{F}_{\text{IR}}(X \mid \mathbf{W}; \boldsymbol{\theta}_{g}^{t-1}), Y) \tag{2a}$$

$$\approx \min_{\boldsymbol{\theta}_g^t} \quad \frac{\partial \mathcal{L}}{\partial \boldsymbol{\theta}_g} \left( \boldsymbol{\theta}_g^t - \boldsymbol{\theta}_g^{t-1} \right)$$

$$\approx \min_{\boldsymbol{\theta}_g^t} \quad \boldsymbol{s}_g^t \triangle \boldsymbol{\theta}_g^t$$
s.t.  $\boldsymbol{m}_g \boldsymbol{\theta}_g^t \ge m_o$ . (2b)

$$\approx \min_{\boldsymbol{\theta}_g^t} \quad \boldsymbol{s}_g^t \, \triangle \boldsymbol{\theta}_g^t \tag{2c}$$

s.t. 
$$\boldsymbol{m}_g \; \boldsymbol{\theta}_g^t \geq m_o$$

As shown in Eqn. 2a, at outer loop t, we need to identify the pruning ratios of layers in the selected group g, i.e.,  $\theta_a^t$ , that minimizes the performance degradation compared with the model pruned in the last loop. We use a linear approximation of the objective and thereby simplify the original problem into a linear programming (LP) problem with a constraint ( $m_a$  in the constraint is a vector denoting the per-channel memory overhead of the layers in group g).

We use a simple numeric differentiation method to fit  $s_g^t = \frac{\partial \mathcal{L}}{\partial \theta_g}|_{\theta_g^{t-1}}$ . Specifically, for each layer in the current group, we prune the layer by one to a few filters and evaluate the consequent performance degradation (i.e., sensitivity analysis). Then we linear fit the performance degradation with the pruned filters of the layer. The resulting sensitivity vector,  $s_q^t$ , represents the degree to which the overall performance is affected by the layer. After obtaining the linear sensitivity coefficients, we conduct LP to decide the concrete pruning scheme of the grouped layers.

Since we adopt a local linear approximation fashion, it is critical to guarantee sufficient local linearity for accurate fitting. In practice, we further split the outer memory stride  $m_o$  into several smaller strides  $m_s$  in inner loops and take the above steps to decide a finer pruning scheme  $\theta_a^k$ , that can be accumulated into the final scheme for this outer loop:

$$\boldsymbol{\theta}_g^t = \sum_{k=1}^K \boldsymbol{\theta}_g^k, \tag{3}$$

where k denotes the inner step k. This split helps guarantee better local linearity, and thus more accurate fitting.

## **Experiments**

## **Experimental Settings**

We conduct experiments on image denoising, super resolution (SR) and low-light enhancement tasks to validate the effectiveness of the proposed method. We provide the implementation details and results of image denoising experiments in this section. Please refer to Appendix for settings and results of SR and low-light enhancement tasks.

Datasets and Evaluation. For real image denoising, we use 320 high-resolution images in the SIDD dataset (Abdelhamed, Lin, and Brown 2018) as the training data. And we report the results evaluated on 1,280 validation patches in SIDD. We perform quantitative comparisons using the PSNR and SSIM (Wang et al. 2004) metrics. When estimating the peak memory of a model, we fix the size of the image as 2K (i.e.,  $2048 \times 1080$ ).

**Backbone and Baseline methods.** We compare MOSP with various pruning methods, including uniformly scale, global L2 pruning, group lasso (Wen et al. 2016), S-Net (Yu and Huang 2019b), US-Net (Yu and Huang 2019c), AutoSlim (Yu and Huang 2019a), Random Search (Li et al. 2022) and DHP (Li et al. 2020b). We also compare with ASSL (Zhang et al. 2021a) that has considered the IR task properties. We choose the standard U-Net (Chen et al. 2018) and its variant Res-U-Net (Wang et al. 2021) as pruning baselines for their representative multi-scale structures. The latter contains both long and local skip connections.

**Implementation Details.** The models are trained on  $256 \times$ 256 patches with a batch size of 32. Random horizontal and vertical flips are applied to the training patches as data augmentation. We use Adam optimizer (Kingma and Ba 2014) with  $\beta_1 = 0.9$ ,  $\beta_2 = 0.999$ , and  $\epsilon = 1e^{-8}$ . In the pretrain stage, we train the baseline models for 80 epochs, with the initial learning rate set as  $1 \times 10^{-4}$  and decreased to half every 20 epochs. For MOSP, we additionally insert compactors onto the skip connections in the pretrained models and finetune for extra 10 epochs. We finetune the pruned models for 20 epochs to help the models adapt to the channel reduction. During the finetune stage, the learning rate is set to  $1 \times 10^{-4}$  and decreased to  $5 \times 10^{-5}$  after 10 epochs. As for MOSP hyper-parameters, the outer memory stride is by default 2MB and the inner memory step is set to be the highest per-channel memory in the current selected group.

## **Comparisons on Real Image Denoising**

We report IR performance as well as the resource overheads of the models obtained by different pruning methods in Tab.1. Compared with the methods that individually prune each layer and neglect the significance of skip connection pruning, the models pruned by our method consistently achieve the best performance in PSNR and SSIM under different memory constraints. Especially, while saving  $4 \times$  memory, the model pruned by MOSP only compromises less than 1% PSNR. As shown in Fig. 1, MOSP achieves the best IR performance - memory efficiency trade-off among

M-41 J	D1- M	D	Performance		
Method	Peak Memory	Params	PSNR	SSIM	
$0.25 \times \text{scale}$	192M	0.48M	38.71	0.911	
Global L2	192M	2.40K	29.00	0.851	
Group Lasso	192M	0.48M	29.16	0.853	
S-U-Net	192M	7.75M	37.92	0.909	
US-U-Net	192M	7.75M	37.94	0.909	
AutoSlim	192M	0.99K	29.10	0.840	
DHP	188M	1.04M	38.58	0.915	
Random Search	184M	0.38M	38.39	0.911	
ASSL	192M	0.48M	38.81	0.916	
MOSP (Ours)	192M	7.27M	38.92	0.916	
$0.5 \times \text{scale}$	384M	1.94M	39.11	0.917	
Global L2	384M	0.02M	35.03	0.868	
Group Lasso	384M	1.94M	34.81	0.86	
S-U-Net	384M	7.75M	38.81	0.916	
US-U-Net	384M	7.75M	38.24	0.910	
AutoSlim	384M	7.80K	34.81	0.862	
DHP	368M	2.18M	38.89	0.917	
Random Search	352M	1.76M	38.98	0.867	
ASSL	384M	1.94M	39.14	0.919	
MOSP (Ours)	384M	7.76M	39.37	0.922	
$0.75 \times \text{scale}$	576M	4.36M	39.29	0.919	
Global L2	576M	0.07M	36.08	0.886	
Group Lasso	576M	4.36M	36.10	0.887	
S-U-Net	576M	7.75M	39.15	0.918	
US-U-Net	576M	7.75M	38.85	0.915	
AutoSlim	576M	0.02M	35.22	0.867	
DHP	600M	4.64M	39.17	0.920	
Random Search	576M	4.20M	39.12	0.917	
ASSL	576M	4.36M	39.24	0.919	
MOSP (Ours)	576M	7.83M	39.45	0.922	
Unpruned	768M	7.75M	39.47	0.921	

Table 1: U-Net pruning results on the SIDD dataset. The pruning results of Res-U-Nets are provided in the Appendix.

the compared methods. The above results indicate that benefit from the enlarged memory optimization room and dedicated iterative memory pruning flow, MOSP has a better capacity of balancing memory budget across the layers. The pruning results of Res-U-Nets are provided in Appendix.

The visual results of pruned U-Nets with 50% original memory overheads are illustrated in Fig. 4. It can be seen that models produced by MOSP is capable of better restoring structural content, while those by compared methods fail to completely remove noise, or overly smooth the contents. The overall results demonstrate that under the same memory budgets, models pruned by MOSP can achieve both quantitatively and qualitatively better results.

## **Pruning Pattern**

We then analyze the pruning patterns produced by the compared methods and MOSP. Visualization results can be found at Appendix. The findings are two-fold:

 Skip connections have larger pruning ratios than main branches, which demonstrates the high memory redun-

- dancy induced by skip connections and thus the importance of introducing compactors. By contrast, the skip connections and the main branch of models pruned by the compared methods share the same keeping ratios, leaving the memory redundancy unexplored.
- ASSL prunes layers to the same ratio, hence fail to distinguish layers with different memory efficiencyperformance trade-offs, leading to suboptimal results. Global L2 and AutoSlim tend to prune out the layers in the middle of the model before turning to slim down the layers aside, which destroys the structural integrity of the IR models. MOSP considers both the memory resource and layers' sensitivity and therefore can obtain higher memory efficiency and more balanced pruning patterns.

## **Ablation Study**

In this section, we present the ablation studies of the proposed MOSP framework and analyze the effect of each design choice. We adopt U-Net as baseline model in each ablation experiment. We also provide the practical peak memory

Real Image Denoising rward 31.40dB / 0.824 31.14dB / 0.814 35.91dB / 0.910 36.03dB / 0.913 36.58dB / 0.920 36.54dB / 0.920 27.73dB / 0.645 29.10dB / 0.719 29.41dB / 0.741 27.62dB / 0.648 29.87dB / 0.764 29.84dB / 0.763 **ASSL** Global L2 Uniformly Scaled MOSP (proposed) Unpruned Group Lasso

Figure 4: Qualitative comparisons between the existing pruning methods and the proposed method. Memory consumption of the models are pruned to the half. Patches are from SIDD validation set. PSNR and SSIM scores are attached below.

$m_o/{ m MB}$	$m_o/{ m MB}$ 1		2 4		12	
PSNR	39.371	39.370	39.360	39.339	39.283	

Table 2: Comparison on the memory strides of outer loops.

$m_s/{ m MB}$	0.5	1	1.5	2.0	
PSNR	39.386	39.384	39.383	39.383	

Table 3: Comparison on the memory steps of inner loops.

measurements across different platforms in Appendix.

The effect of the compactor. Fig. 5 shows the performance of the pruned models with and without compactors. With the help of skip-connection compactors, the memory redundancy can be explored and the performance is significantly improved under different peak memory constraint, ranging from 21.6MB to 4.8MB (90% to 20% of original memory overheads). Especially, when the peak memory of the model is compressed to 20%, the pruned model with compactors outperforms that without compactors by nearly 1dB, which proves the effectiveness of the compactors.

The effect of outer stride  $m_o$  and inner steps  $m_s$ . Directly pruning the selected layer group to satisfy the memory constraint in each outer loop can notably shorten the whole pruning progress. However, pruning with such a huge memory stride overlooks to balance memory reduction between the pruning groups and only leads to suboptimal results, as there exist many intersections between different pruning groups. Tab. 2 shows the pruning results of different memory stride  $m_o$ . The smaller the memory stride, the higher the accuracy. Nevertheless, smaller memory strides result in

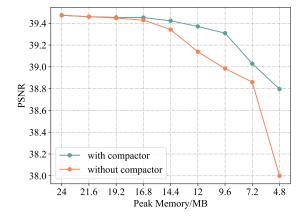


Figure 5: Comparison results between the settings with and without compactor. Tested on the SIDD validation patches.

longer process time because it takes more outer loops to finish the whole pruning procedure. We further study the effect of the inner memory step. As shown in Tab. 3, though the result difference is small in this experiment, we preserve the inner loop, which aims at keeping the local linearity, to provide a more general method formulation.

## Conclusion

In this paper, we propose an iterative pruning flow, MOSP, specially designed for peak memory optimization. MOSP introduces skip connection compactors and reduces the memory redundancy induced by the multi-scale structure appropriately. Compared with the previous pruning methods, the proposed method derives models with better image restoration performance under similar memory budget.

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# Comparisons on Low Light Image Enhancement

**Experimental Settings.** For low-light image enhancement task, we use a publicly available dataset SID-Sony (Chen et al. 2018) to train and evaluate the pruned models. Following the original SID practice, we prune and train the models with 1,865 short- and long-exposure image pairs. After picking the models with the highest scores on the split validation set (containing 234 image pairs), we directly report their performance on the 598 test image pairs.

We compare MOSP with uniformly scale, global L2 pruning, group lasso (Wen et al. 2016) and ASSL (Zhang et al. 2021a) on the U-Net (Chen et al. 2018). The only difference between the baseline U-Net here and that in the real image denoising experiments is the output convolution layer (we adopt the same U-Net here as SID (Chen et al. 2018), while we substitute the final output layers, a convolution layer with 12 output filters and a pixelshuffle layer with a upscaling factor of 2, with a single 3-filter convolution layer in the real image denoising experiments). We prune the U-Net based on the pretrained model released by the original authors, while the other experiment settings are kept the same as those of the real image denoising experiments.

Comparisons and Analysis. The low light enhancement performance and the resource overheads of the models obtained by the existing pruning methods and the proposed method are list in Tab A.2. The proposed method continually achieves the best performance among the compared methods, which demonstrates the importance of skip connection pruning and balanced memory reduction.

The visual results are provided in Fig. A.3. Patches restored by the MOSP-pruned model are richer in local details (e.g., better color, finer contexts), while those by the existing methods suffer by the remaining noise or even artifacts. The above results demonstrate that MOSP can better allocate memory reduction across layers of a given model, thus providing both quantitatively and qualitatively better restored images.

# Comparisons on Single Image Super Resolution

**Experimental Settings.** For single image super resolution task, we use the publicly available dataset DIV2K (Timofte et al. 2017) to prune and train the models. We adopt the first 800 images are our training dataset and evaluate the pruned models on the first 10 validation images. After the whole pruning procedure, we report the performances of the pruned models on four standard benchmark datasets, Set5 (Bevilacqua et al. 2012), Set14 (Zeyde, Elad, and Protter 2010), B100 (Martin et al. 2001) and U100 (Huang, Singh, and Ahuja 2015). The super-resolved images are evaluated with PSNR and SSIM on the Y channel of transformed YCbCr space. When estimating the peak memory overhead of a pruned model, we set the output image size as  $3 \times 1280 \times 720$ .

We compare MOSP with uniformly scaling, global L2 pruning, group lasso (Wen et al. 2016), DHP (Li et al. 2020b), and ASSL (Zhang et al. 2021a) on the EDSR (Lim

et al. 2017). We add a compactor module onto the long skip connection and keep the local skip connections of the residual blocks intact. The output channels of each residual block are forced to be the same to avoid the channel alignment issue.

The models are trained on the input patches sized of  $96 \times 96$  with a batch size of 16. Random horizontal and vertical flips are applied to the training patches as data augmentation. We use Adam optimizer (Kingma and Ba 2014) with  $\beta_1=0.9,\ \beta_2=0.999,$  and  $\epsilon=1e^{-8}$ . The baseline models are pretrained for 80 epochs, with the initial learning rate set as  $1\times 10^{-4}$  and decreased to half every 20 epochs. For MOSP, we insert compactors onto the pretrained models and finetune them for extra 10 epochs. After channel shrinking, the models are further finetuned for 20 epochs. During the finetune stage, the learning rate is set to  $1\times 10^{-4}$  and decreased to  $5\times 10^{-5}$  after 10 epochs. As for MOSP hyperparameters, the outer memory stride is by default 2MB and the inner memory step is set to be the highest per-channel memory in the current selected group.

Comparisons and Analysis. The SISR performance and the resource overheads of the models compressed by the comparing methods are presented in Tab A.3. In most cases, the proposed method provides compact models with better performance. Especially, in the  $\times 3$  SR case, the model pruned with 50% peak memory budget is on par with the original model thanks to the skip connection pruning.

The visual results are provided in Fig. A.4. Finer superresolution results can be obtained by the models produced by MOSP. For example, the grains on the deck (upper patches) and grids on the architecture (lower patches) are reconstructed with better details. The above results again indicate that MOSP can better balance the memory overheads across a model.

## **Detailed Pruning Patterns**

Detailed pruning patterns are provided in Fig. A.1. Models are pruned to half of the original memory overheads to meet the 12 MB peak memory limit with a test patch sized  $3\times256\times256$ . The bars in the graph represent the overall memory overhead of a pruned layer, consisting of the memory overhead of the input features, output features and parallel skip-connected features of the layer. For example, for layer "conv3\_1", its memory overhead is modeled as the memory taken up by the features residing in the long skip connection 1 and 2 and that by the main branch (i.e., the input features and the output features). There are three bars for each layer in the graph, representing the actual memory patterns of the layer pruned by global L2, uniformly scaling and MOSP from left to right.

As can be seen from the figure, the pattern derived by MOSP is more balanced in memory usage than those by uniformly scaling and global L2, thus reducing memory waste under the memory budget. Skip connections can be better pruned or preserved according to their importance instead of being forced to be the same as the main branch. Opposite to the extreme patterns produced by global L2, which prunes out the layers in the middle of the model, MOSP can better

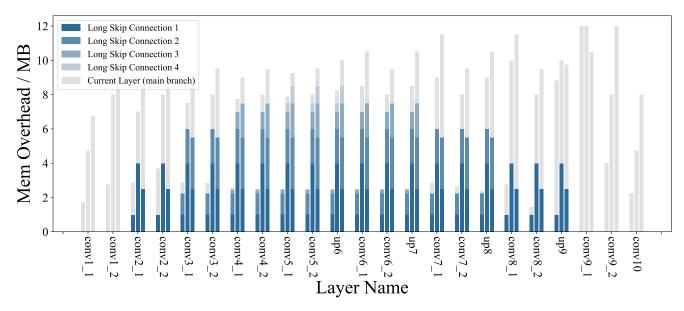


Figure A.1: Pruning patterns of the U-Nets obtained by the existing pruning methods and MOSP. Models are pruned to half of the original memory overhead and tested with a single  $3 \times 256 \times 256$  patch. For each layer in the graph, bars from left to right represent patterns of global L2 pruning, uniformly scaling, MOSP respectively.

preserve information of different scales.

## **Hardware Test**

After obtaining the models pruned by MOSP under different memory constraints, we measure their practical memory overheads on a server GPU and a simulated mobile device. The GPU results are measured on a GTX3090 GPU with pytorch versioned 1.8.0, and the simulated mobile results are measured in Android Studio with NCNN versioned 20220216. The results presented in Fig. A.2 show that the peak memory modeling method adopted in MOSP can effectively reflect the real peak memory. Nevertheless, more accurate results can be achieved by modifying the memory surrogate according to the practical inference library.

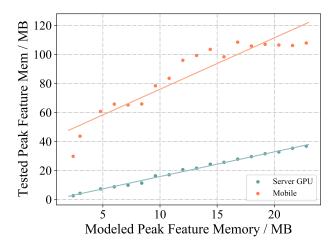


Figure A.2: Measured peak memory on the server GPU and the simulated mobile device.

Model	Method	Peak Memory	Params	Performance		
Model	Method	1 cak Memory	1 al allis	PSNR	SSIM	
	$0.25 \times \text{scale}$	262M	0.59M	38.38	0.914	
	Global L2	262M	0.02M	30.90	0.724	
	Group Lasso	262M	0.59M	27.97	0.541	
	ASSL	262M	0.59M	38.67	0.915	
	MOSP (Ours)	262M	9.03M	39.24	0.919	
	$0.5 \times \text{scale}$	524M	2.38M	39.23	0.919	
	Global L2	524M	0.06M	31.17	0.733	
Res-U-Net	Group Lasso	524M	2.38M	36.90	0.900	
Res-U-Net	ASSL	524M	2.38M	39.07	0.918	
	MOSP (Ours)	524M	9.49M	39.45	0.922	
	$0.75 \times \text{scale}$	789M	5.35M	39.40	0.920	
	Global L2	789M	3.58M	38.96	0.918	
	Group Lasso	789M	5.35M	38.88	0.918	
	ASSL	789M	5.35M	39.29	0.920	
	MOSP (Ours)	789M	9.57M	39.48	0.922	
	Unpruned	1048M	9.51M	39.52	0.922	

Table A.1: Real image denoising comparisons on SIDD dataset

Model	Method	Dool: Momony	Params	Performance		
Model	Method	Peak Memory	1 at attis	PSNR	SSIM	
	$0.25 \times \text{scale}$	192M	0.48M	27.60	0.763	
	Global L2	192M	1.40K	22.69	0.694	
	Group Lasso	192M	0.48M	27.38	0.767	
	ASSL	192M	0.48M	27.63	0.770	
	MOSP (Ours)	192M	7.38M	<b>27.80</b>	0.774	
	$0.5 \times \text{scale}$	384M	1.94M	28.04	0.774	
	Global L2	384M	0.02M	25.51	0.700	
U-Net	Group Lasso	384M	1.94M	28.03	0.779	
U-Net	ASSL	384M	1.94M	28.29	0.786	
	MOSP (Ours)	384M	7.67M	28.74	0.794	
	$0.75 \times \text{scale}$	576M	4.36M	28.20	0.778	
	Global L2	576M	6.34M	28.75	0.796	
	Group Lasso	576M	4.36M	28.50	0.790	
	ASSL	576M	4.36M	28.37	0.790	
	MOSP (Ours)	576M	7.84M	28.86	0.798	
	Unpruned	768M	9.51M	28.88	0.798	

Table A.2: Low light image enhancement comparisons on SID-Sony dataset

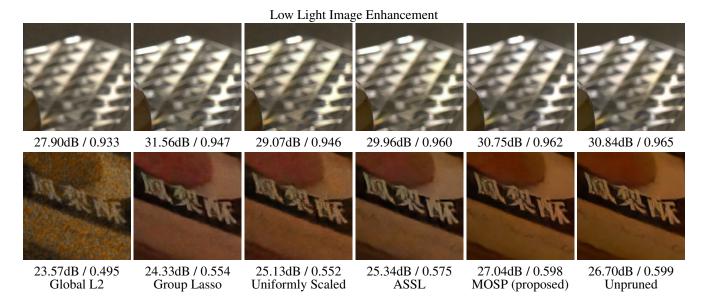


Figure A.3: Qualitative comparisons between the existing pruning methods and the proposed method. Memory consumption of the models are pruned to the half. The patches are cropped from the SID-Sony test images. PSNR and SSIM scores are attached below.

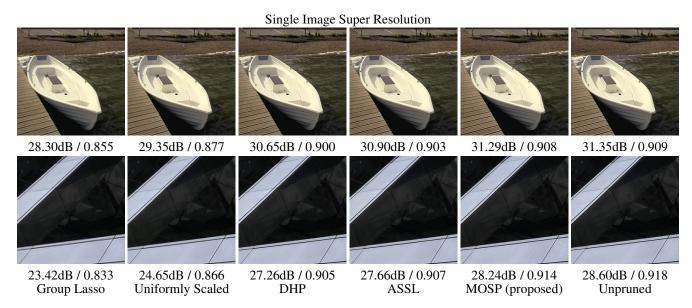


Figure A.4: Qualitative comparisons between the existing pruning methods and the proposed method. Memory consumption of the models are pruned to the half. Patches are cropped from B100 (upper) and Urban100 (lower). PSNR and SSIM scores are attached below.

				Performance								
Model	Method	Peak Mem	<b>Params</b>	Set5		Set14			B100		U100	
				PSNR	SSIM	<b>PSNR</b>	SSIM	<b>PSNR</b>	SSIM	<b>PSNR</b>	SSIM	
	$0.25 \times \text{scale}$	169M	0.09M	34.83	0.941	31.26	0.892	30.42	0.873	27.76	0.864	
	Global L2	169M	0.02M	30.10	0.924	28.40	0.873	29.11	0.860	26.33	0.848	
	Group Lasso	169M	0.02M	30.12	0.910	28.13	0.849	28.51	0.837	25.69	0.816	
	DHP	192M	0.08M	37.37	0.960	32.92	0.915	31.72	0.897	30.45	0.911	
	ASSL	169M	0.09M	37.46	0.959	33.08	0.913	31.86	0.896	30.88	0.915	
	MOSP (Ours)	169M	0.22M	37.11	0.959	32.74	0.913	31.58	0.896	30.03	0.906	
	$0.5 \times \text{scale}$	337M	0.34M	36.78	0.955	32.48	0.907	31.37	0.889	29.46	0.896	
	Global L2	337M	0.11M	34.96	0.943	31.37	0.896	30.54	0.878	27.88	0.869	
EDSR	Group Lasso	337M	0.11M	34.98	0.946	31.83	0.898	30.55	0.882	27.88	0.871	
$\times 2$	DHP	369M	0.37M	37.63	0.961	33.22	0.917	31.96	0.901	31.28	0.921	
X 2	ASSL	337M	0.34M	37.75	0.960	33.35	0.916	32.00	0.898	31.41	0.921	
	MOSP (Ours)	337M	0.96M	37.85	0.962	33.42	0.919	32.09	0.902	31.66	0.925	
	$0.75 \times \text{scale}$	506M	0.77M	37.64	0.959	33.24	0.915	31.97	0.897	31.30	0.920	
	Global L2	506M	0.28M	35.82	0.949	31.98	0.902	30.97	0.883	28.67	0.883	
	Group Lasso	506M	0.28M	35.30	0.948	31.66	0.901	30.71	0.884	28.19	0.876	
	DHP	517M	0.82M	37.68	0.962	33.29	0.918	32.03	0.901	31.48	0.923	
	ASSL	506M	0.77M	37.81	0.960	33.39	0.916	32.07	0.898	31.64	0.924	
	MOSP (Ours)	506M	1.30M	37.86	0.962	33.48	0.919	32.11	0.902	31.76	0.926	
	Unpruned	675M	1.37M	37.99	0.960	33.57	0.918	32.16	0.899	31.98	0.927	
	$0.25 \times \text{scale}$	150M	0.10M	31.23	0.884	28.29	0.803	27.72	0.769	25.02	0.762	
	Global L2	150M	0.04M	30.34	0.866	27.64	0.782	27.40	0.753	24.68	0.745	
	Group Lasso	160M	0.04M	25.73	0.835	23.99	0.748	25.79	0.726	23.69	0.715	
	DHP	169M	0.09M	33.47	0.922	29.70	0.836	28.65	0.801	26.74	0.821	
	ASSL	150M	0.09M	33.60	0.924	29.52	0.837	28.76	0.803	27.01	0.829	
	MOSP (Ours)	150M	0.91M	33.99	0.926	30.04	0.842	28.92	0.807	27.44	0.840	
	$0.5 \times \text{scale}$	300M	0.39M	31.90	0.895	28.75	0.812	28.01	0.777	25.45	0.777	
	Global L2	300M	0.41M	31.76	0.894	28.69	0.810	27.98	0.776	25.41	0.776	
EDSR	Group Lasso	304M	0.41M	31.22	0.888	28.29	0.807	27.73	0.777	25.05	0.766	
$\times 3$	DHP	309M	0.39M	33.95	0.927	29.98	0.841	28.86	0.806	27.34	0.837	
/ 5	ASSL	300M	0.39M	33.98	0.927	29.77	0.843	28.93	0.808	27.53	0.842	
	MOSP (Ours)	300M	1.33M	34.21	0.928	30.18	0.845	29.01	0.810	27.81	0.848	
	$0.75 \times \text{scale}$	450M	0.87M	33.75	0.922	29.90	0.834	28.81	0.798	27.23	0.832	
	Global L2	450M	1.13M	33.89	0.923	30.01	0.836	28.88	0.800	27.45	0.837	
	Group Lasso	452M	1.14M	33.39	0.920	29.72	0.835	28.67	0.801	26.90	0.825	
	DHP	459M	0.92M	34.04	0.927	30.10	0.843	28.92	0.807	27.52	0.840	
	ASSL	450M	0.87M	34.10	0.928	29.83	0.844	29.02	0.809	27.74	0.847	
	MOSP (Ours)	450M	1.42M	34.27	0.929	30.19	0.845	29.01	0.810	27.84	0.848	
	Unpruned	600M	1.55M	34.19	0.929	29.88	0.845	29.03	0.810	27.86	0.849	

Table A.3: Comparisons on image super resolution

## Algorithm 1: Memory-Oriented Structured Pruning (MOSP)

#### **Notation:**

l: a layer in one layer group or the given model.

g: a group of layers co-exist in the memory.

 $\mathcal{G}$ : a set containing all the layer groups.

 $g_{pm}$ : the layer group with the highest peak memory.

 $\theta_a^k$ : the pruning scheme of one inner step k.

 $\theta_q^t$ : the accumulative pruning scheme of inner steps.

 $s_q^{\tilde{k}}$ : the sensitivity analysis result of the selected group g.

 $m_g$ : a vector containing per-channel memory overhead of each layer in group g.

 $M_p$ : the peak memory overhead of the current model.

Memory  $(\cdot)$ : the function that returns the memory of a group or a pruning scheme.

#### Input:

Pretrained IR model  $\mathcal{M}$ , memory constraint  $M_c$ , the outer memory stride  $m_o$ .

#### **Output:**

Pruned IR model  $\mathcal{M}'$ .

Init: Introduce compactors into  ${\mathcal M}$  and finetune for several epochs.

**Init**: Layer Grouping. Acquire grouped layer set  $\mathcal{G}$  and  $m_g$ , per-channel memory overhead of layers in each group.

## 1: while True do

# Outer Loop, find the group with highest memory consumption to prune.

```
2: M_p = \max_{g \in \mathcal{G}}(\text{Memory}(g))

3: g_{pm} = \arg\max_{g \in \mathcal{G}}(\text{Memory}(g))

4: m_o = \min(m_o, M_p - M_c)
```

# Inner Loop, allocate the memory sparsity within the selected group.

```
\boldsymbol{\theta}_g^t = 0
   5:
                      \begin{aligned} & \textbf{while} \ \text{Memory}(\boldsymbol{\theta}_g^t) < m_o \ \textbf{do} \\ & \boldsymbol{s}_g^k = \text{SensitivityAnalyze}(g_{pm}) \\ & \boldsymbol{\theta}_g^k = \text{LinearProgramming}(g_{pm}, \boldsymbol{s}_g^k, \boldsymbol{m}_g) \end{aligned} 
   7:
  8:
                      g_{pm} = 	ext{ApplyPrune}(g_{pm}, oldsymbol{	heta}_g^k) \ oldsymbol{	heta}_g^t = oldsymbol{	heta}_g^t + oldsymbol{	heta}_g^k \ 	ext{end while}
  9:
10:
11:
                     \begin{split} M_p &= \max_{g \in \mathcal{G}} (\mathsf{Memory}(g)) \\ & \text{if } M_p > M_c \text{ then} \end{split}
12:
13:
                               Break
14:
                      end if
15:
16: end while
```

17: **Rebuild** to obtain the pruned model  $\mathcal{M}'$ . **Final Fine- tune** the pruned model  $\mathcal{M}'$  for several epochs to regain performance.